SPECIALITY: Math.teacher SUBJECT: "ORDINARY DIFFERENTIAL EQUATIONS "

EXAM QUESTIONS

- 1) Main consepts and definitions.
- 2) Geometrical interpretation.Direction Field.Isoklines.
- 3) Separable equations.
- 4) Equations reducible to Separable equations.
- 5) Homogeneous equations.
- 6) Equations reducible to Homogeneous (with the not propertional coefficients).
- 7) Equations reducible to Homogeneous equations (with the proportional coefficients).
- 8) Generalized Homogeneous equations.
- 9) Linear differential equations of the 1-st order (LDE).
- 10) Metod of variation of the constant for the LDE.
- 11) Bernoully equation.
- 12) Rikkaty equation. Properties.
- 13) Properties of solutions of Riccaty equations.
- ¹⁴) Exact differential equations. Necessary condition.
- 15) Exact differential equations. Sufficient condition.
- 16) Existence of the Integrating Factor.
- 17) Infinite number of İntegrating Factors. .
- ¹⁸⁾Construction of the Integrating Factor.
- 19) Finding of Integrating Factor (integrating factor depends of x).
- 20) Finding of Integrating Factor (integrating factor depends of y).
- 21) Euler's broken.
- 22) Arsela Theorem(without proof).
- 23) Reducing the Cauchy Problem for the differential equation y' = f(x, y) to the equivalent integral equation.
- 24) Peano Theorem on existence of Solution (schem of the proof).

25) The Method of Succesive Approximition in the Pikar theorem (existence of solution).

- 26) The Method of Succesive Approximition in the Pikar theorem (uniqueness of solution).
- 27) Continued Solutions.
- 28) Non- Continued Solutions.
- 29) .Smooth property of solution of Equation solvable with respect to derivative.
- 30) Smooth property of solution of Equation non-solvable with respect to derivative.

- 31) Ezistence and Uniqueness of Solution of the Cauhy Problem for the 1-st order equation non solvalble with respect to derivative.
- 32) Finding the Singular Solutin (the Method of Discriminant Curve).
- 33) Qurşayanlar üsulu. Finding the Singular Solutin (the Method of Envelope Curve),
- 34) The Qronuol Lemma.
- 35) Non-complete Differential Equations. (all terms depends of derivetive).
- 36) Non-complete Differential Equations (considered function doesn't contains in equation).
- 37) Non-complete Differential Equations (Independent value doesn't containes in equarion)
- 38) Non-complete Differential Equations .The General Method of introduction of parameter.
- 39) Non-complete Differential Equations. The General Method of introduction of parameter if equation is solved with respect to derivative.
- 40) Non-complete Differential Equations. The General Method of introduction of parameter if equation isn't solved with respect to derivative.
- 41) Lagrange Equation.
- 42) Clero Equation.
- 43) Normal system of differential equations. General and particular solutions.
- 44) On existence and uniqueness of solution of the Cauchy problem for the Normal system of differential equations.
- 45) Integral of the system.First and General Integrals.Sistemin integral. Birinci və ümumi integral.
- 46) Differentiable Integral.
- 47) Symmetrik form of the System.
- 48) Differential equations of the High order. The Cauchy problem. Existence and uniqueness of solution (without proof)
- 49) General and particular solutions of the differential equation of the high order.First,Middle and Total Integrals.
- 50) The Loverable Equations of the High order. Type $y^{(n)} = f(x)$.
- 51) The Loverable Equations of the High order. Type $F(y^{(n)}, x) = 0$
- 52) The Loverable Equations of the High order. Type $F(y^{(n)}, y^{(n-1)}) = 0$
- 53) The Loverable Equations of the High order. Type $F(y^{(n)}, y^{(n-2)}) = 0$.
- 54) Equations doesn't contains unknown function.
- 55) Equations doesn't contains independent variable.
- 56) Equations of the high order, which are homogeneous with respect to unknown functio and its derivatives.
- 57) Equations with the exact differential at the left-hand side.
- 58) Normal system of differential equations.Existence and uniqueness of solution (without proof).
- 59) Fundamental system of solutions for the System of Linear differential equations. Wronsky determinant.

- 60) The General Theory of the Linear differential equations of the High order.
 - 61) Linearly dependent and independent systems of functions.
 - 62) Fundamental system of solutions for the Linear differential equations of the High order.
 - 63) Wronsky determinant for the Linear differential equations of the High order.
 - 64) General soluton for the Linear differential equations of the High order.
 - 65) The Ostroqradsky-Liouville formula for the Linear differential equations of the High order.
 - 66) Non homogeneous Linear differential equations of the High order.
 - 67) Linear differential equations of the High order.Roots are real and different.
 - 68) Linear differential equations of the High order. Roots are complex.
 - 69) Linear differential equations of the High order. Roots are repeating.
 - 70) The Metod of varition of constans for the Linear non-homogeneous differential equations of the High order.
 - 71) The Method of undefined coefficients for the Linear non-homogeneous differential equations of the High order.
 - 72) Euler equations.
 - 73) Stability by Lyapunov. Main definitions.
 - 74) Lemma 1 on the real part of the eigen values of the system with the constant coefficients.
 - 75) Lemma 2 on the real part of the eigen values of the system with the constant coefficients.
 - 76) Theorem on stability of the trivial solution of the linear system with the constant coefficients.
 - 77) Criterion on stability of the quadratic polynomial.
 - 78) Gourvits polynomial.